

Inertial flows in liquid foam microchannels

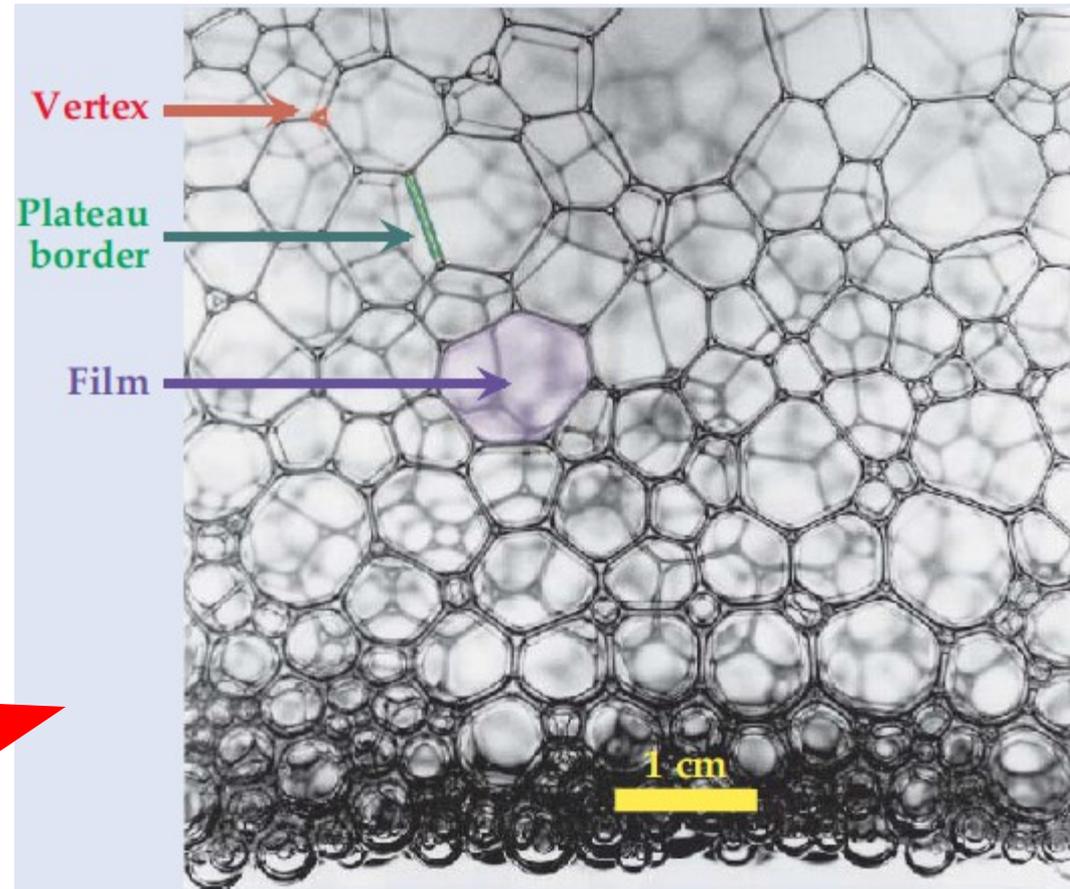
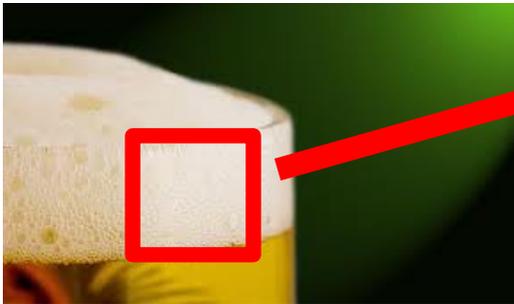
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Introduction: liquid in foams

□ Composition

cf: talk by B. Dollet



Durian & Raghavan Phys. Today 2010

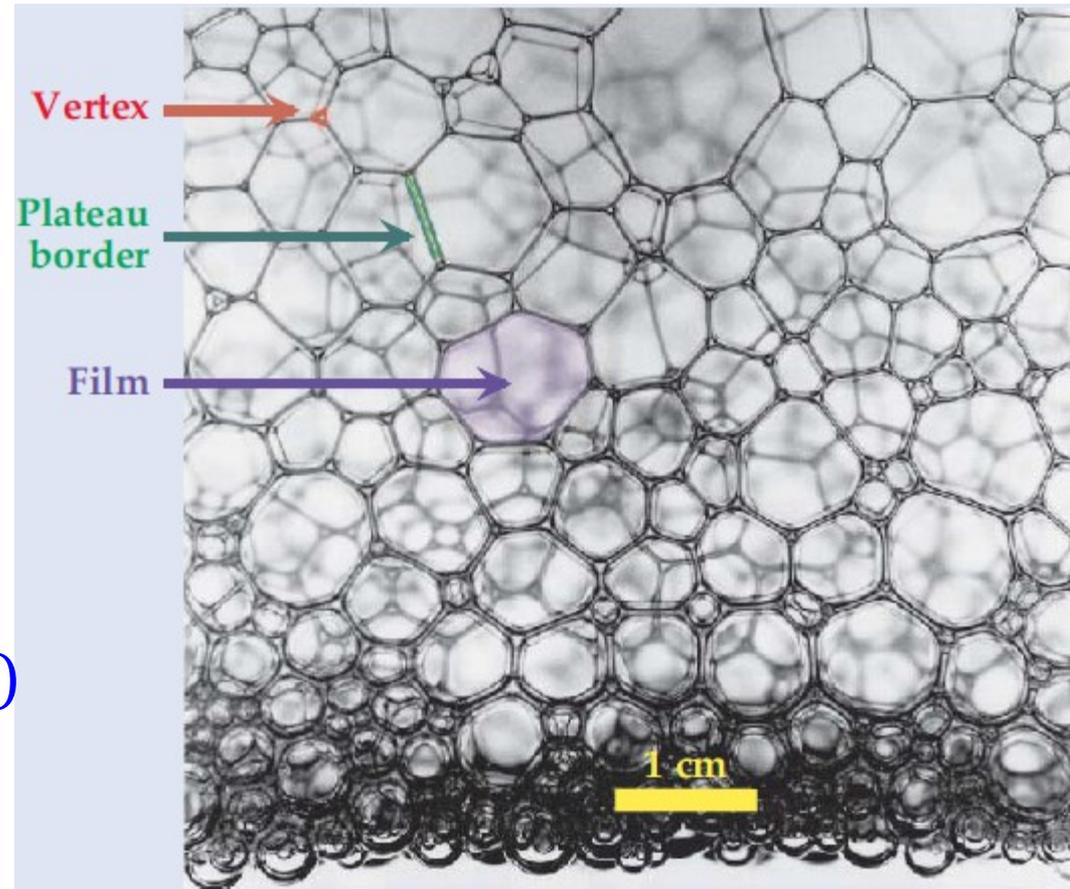
Introduction: liquid in foams

□ Composition

dispersion of **gas**
(bubbles, $100\mu\text{m}-1\text{cm}$)

inside liquid phase:

- Plateau Border ($10-100\mu\text{m}$)
- vertex
- film ($10\text{nm}-1\mu\text{m}$)



Durian & Raghavan Phys. Today 2010

Motivations

□ Plateau Border

Liquid microchannel

Held by 3 soap films

Sustained by capillarity

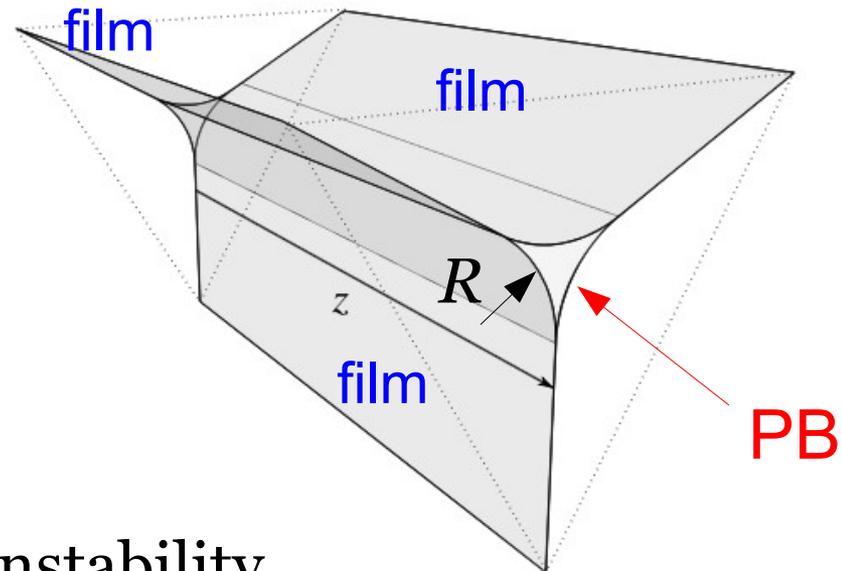
no Rayleigh-Plateau instability

under-pressurized: $P = P_0 - \gamma/R$

Very flexible and deformable

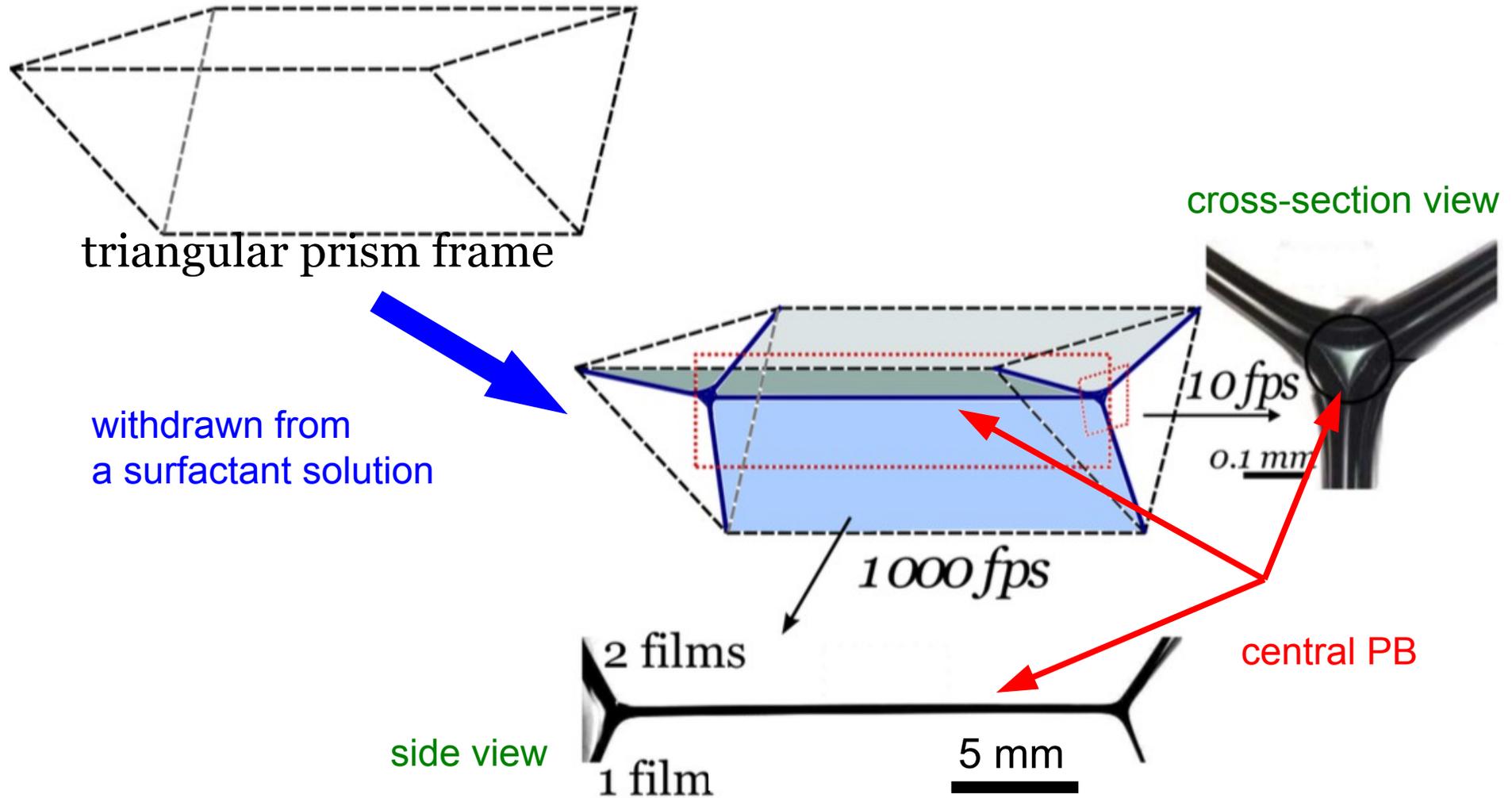
□ Interest in the mechanical response of a PB (morphologies, flows, ...)

—————▶ Inertial flows at the micron-scale



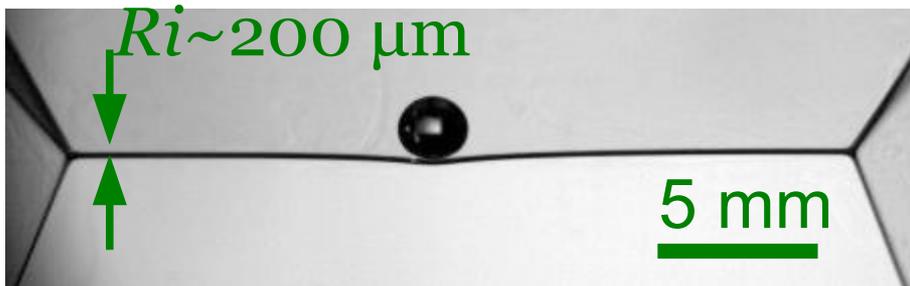
Setup

□ Single-PB experiment



I - Drop-injected experiment

- Inertial regime

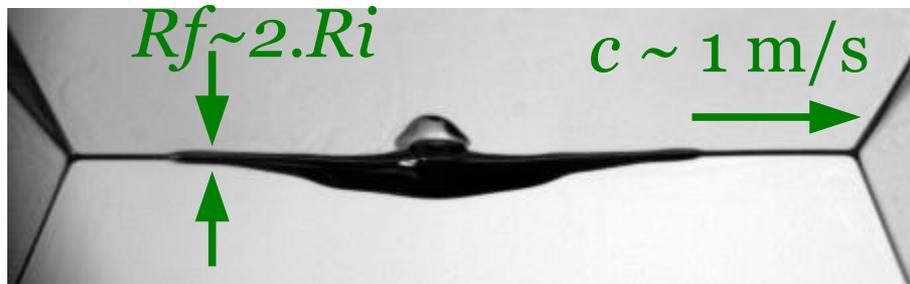
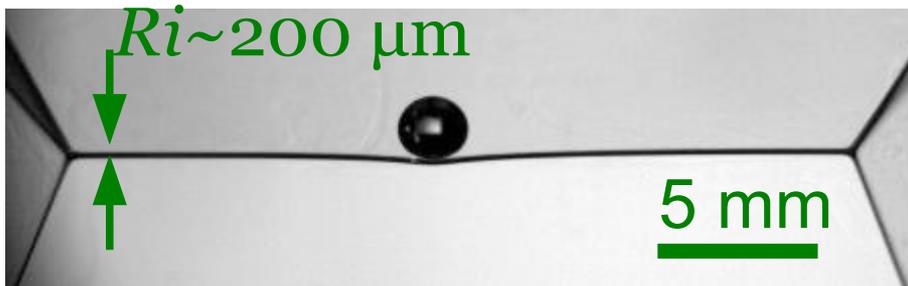


slowed down x100

bulk properties \sim water
surface tension $\gamma \sim 30 \text{ mN/m}$

I - Drop-injected experiment

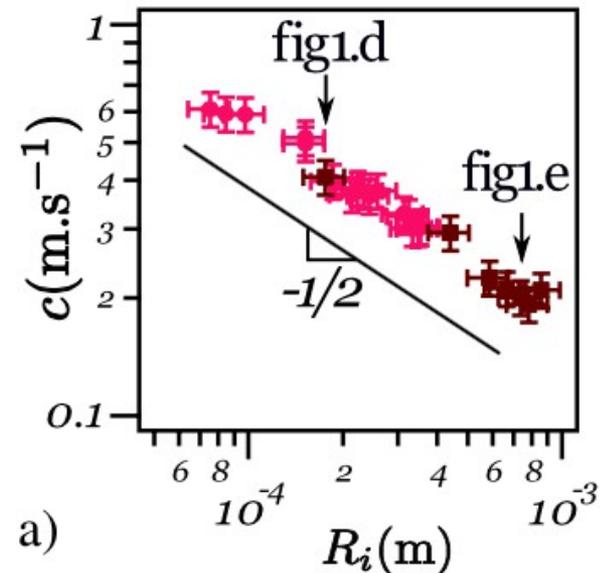
□ Inertial regime



$$\text{Re} = \rho Ri c / \eta \sim 200$$

Capillary hydraulic jump

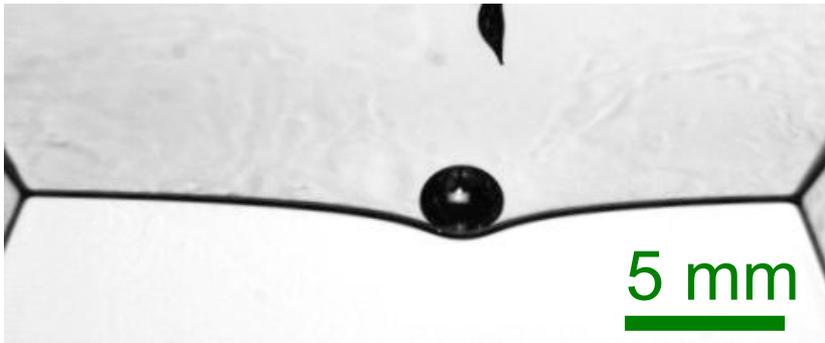
$$c = (\gamma / \rho Ri)^{-1/2}$$



Cohen et al., PRL 2014
Argentina et al., JFM 2015

I - Drop-injected experiment

□ Viscous Regime



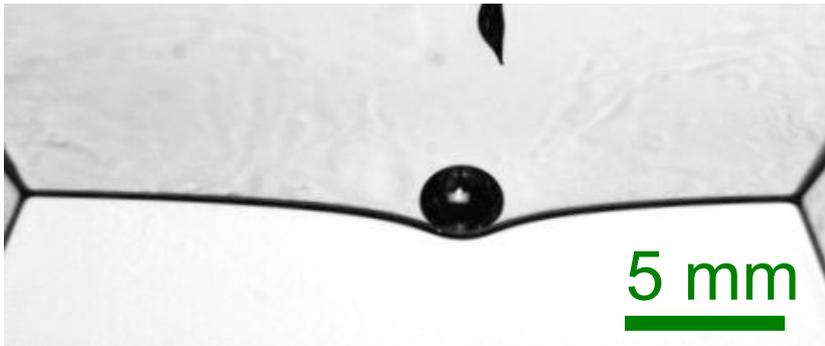
slowed down x200

Increasing η
Decreasing Ri

$$Re = \rho Ri c / \eta$$

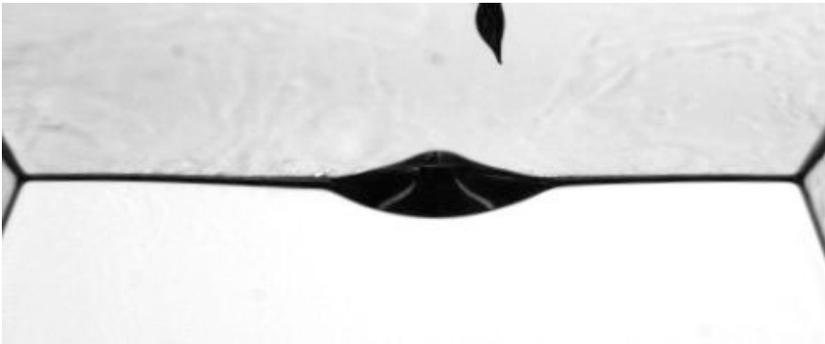
I - Drop-injected experiment

□ Viscous Regime



Increasing η
Decreasing Ri

$Re = \rho Ri c / \eta$
Transition $Re \sim 20$

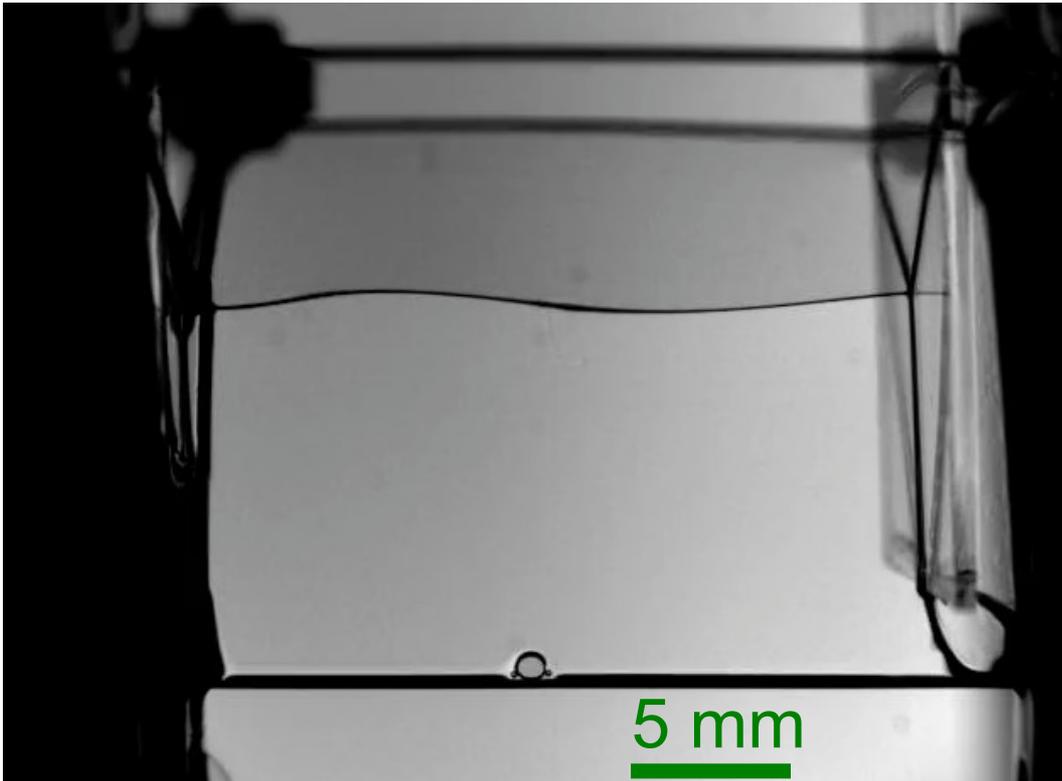


Smooth spreading profile
Slower dynamics

II - Oscillation experiment

- Melde's experiment with a liquid string

$$\omega \sim 400 \text{ rad/s}$$

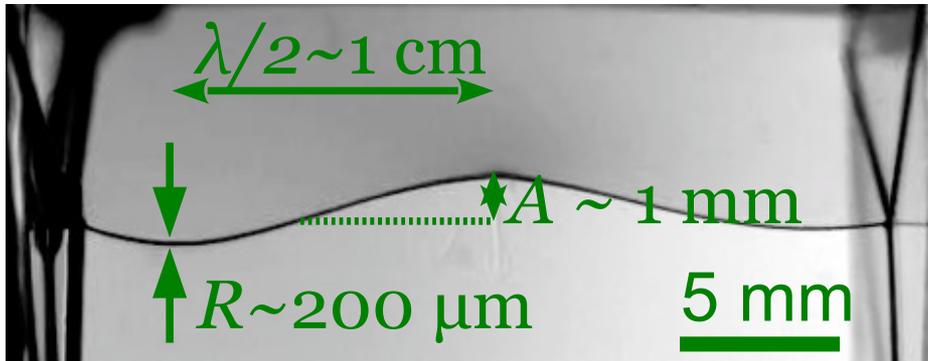


slowed down x100

II - Oscillation experiment

□ Melde's experiment with a liquid string

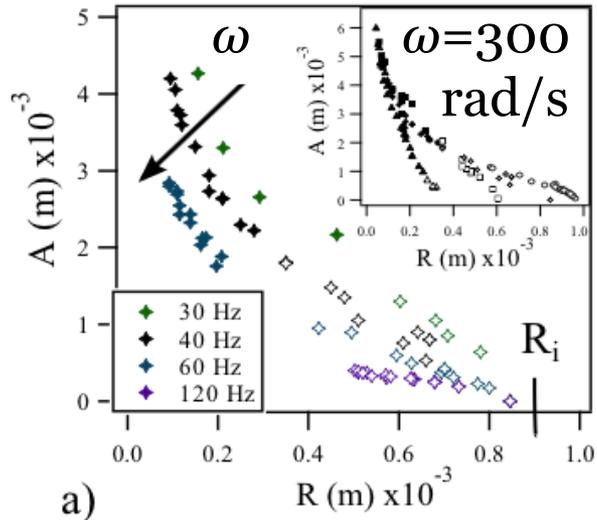
$$\omega \sim 400 \text{ rad/s}$$



Dispersion relation $\lambda(\omega)$

Inertial regime

$$\text{Re} = \rho R i A \omega / \eta \sim 100$$



1 Bernoulli equation

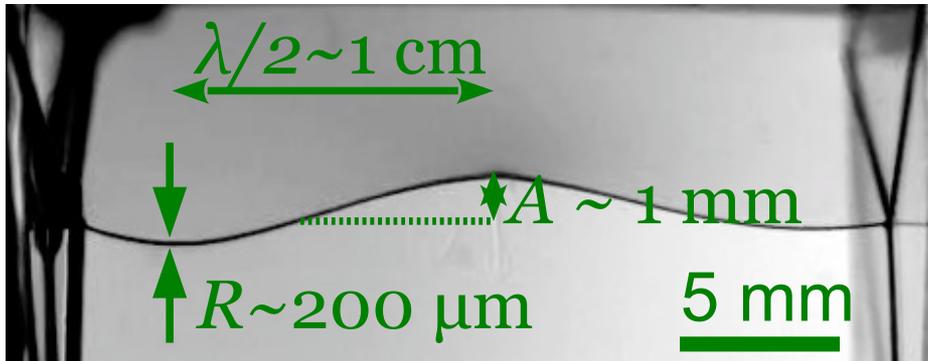
$$\frac{1}{2} \rho \frac{(A\omega)^2}{2} - \frac{\gamma}{R} = - \frac{\gamma}{R_i}$$



II - Oscillation experiment

□ Melde's experiment with a liquid string

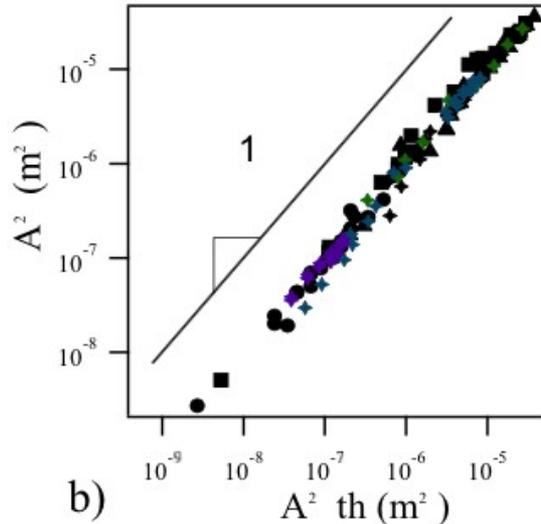
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Dispersion relation $\lambda(\omega)$

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$$\text{Re} = \rho R i A \omega / \eta \sim 100$$



1 Bernoulli equation

$$\frac{1}{2} \rho \frac{(A\omega)^2}{2} - \frac{\gamma}{R} = - \frac{\gamma}{R_i}$$

$A \nearrow$ $R \searrow$

II - Oscillation experiment

- Melde's experiment with a liquid string



$R_i \sim 1 \text{ mm}$

slowed down x20

High amplitude regime

II - Oscillation experiment

- Melde's experiment with a liquid string



High amplitude regime



Bernoulli
Non-linear effects



Transition to a bi-sized system

Conclusion

- Inertial flows at the microchannel scale
- Non-linear effects and specific morphologies
- Coupling with the three holding films